Seometry Unit Notes

| Adjacent $\quad$ Types Of Angles |
| :--- |
| -Share a vertex |
| -Next to each other |
| i.e. $\angle 1$ and $\angle 2, \angle 2$ and $\angle 4, \angle 4$ and $\angle 3, \angle 3$ and $\angle 1, \angle 5$ and $\angle 6, \angle 6$ and $\angle 8, \angle 8$ and |
| $\angle 7, \angle 7$ and $\angle 5$. |
| Vertically opposite |
| -the opposite angles formed when 2 lines intersect. |
| -vertically opposite angles are congruent |
| i.e. $\angle 1$ and $\angle 4, \angle 2$ and $\angle 3, \angle 5$ and $\angle 8, \angle 6$ and $\angle 7$. |
| Alternate exterior |
| -on opposite sides of the transversal and on the outside of the parallel lines |
| -Alternate exterior angles are equal |
| i.e. $\angle 1$ and $\angle 8$ and $\angle 2$ and $\angle 7$ |
| Alternate interior |
| -on opposite sides of the transversal and on the inside of the parallel lines |
| -Alternate interior angles are equal |
| i.e. $\angle 3$ and $\angle 6$ and $\angle 4$ and $\angle 5$ |
| Corresponding |
| -they are in the same position from one line to the other |
| -usually one of them is inside and one outdie the parallel lines |
| -corresponding angles are equal. |
| i.e. $\angle 1$ and $\angle 5, \angle 2$ and $\angle 6, \angle 3$ and $\angle 7, \angle 4$ and $\angle 8$. |

## Interior Angles of a Polygon

The sum of the angles in a triangle is equal to $180^{\circ}$,
The sum of the angles in other polygons is based on the number of triangles that can be drawn from 1 vertex. The number of triangles times $180^{\circ}$ is the sum of the interior angles.
The rule is ( $n-2$ ) $\times 180^{\circ}$ where
$n=$ the number of sides in the polygon.
**In a triangle $n=3$ so

| $\begin{aligned} & n=3 \text { so } \\ & (n-2) \times 180^{\circ} \\ & =(3-2) \times 180^{\circ} \end{aligned}$ | Sum of Interior Angles in a Polygon |  |
| :---: | :---: | :---: |
| $=(1) \times 180^{\circ}$ | Name of Polygon | Sum of Angles $(n-2) \times 180$ |
| - | Triangle | 180 |
|  | Quadrilateral | 300. |
|  | Pentagon | 540 |
|  | Hexagon | ${ }^{220}$ |
|  | Septagon | 80. |
|  | Octagon | 1080 |
|  | Nonagon | 1260. |
|  | Decagon | 140. |

How to Copy an Angle using a Compass and Ruler
Create $\angle \mathrm{DEF} \dot{\cong}$ to $\angle \mathrm{ABC}$


1-Draw a ray and label one end point E

Steps
3-use your compass to measure the distance
between points A and C on the arc
that you drew.
4-Keep your compass set at the same
distance and place the compass tip at
point F . Make an arc. The intersection
point of the two arcs is point D .




